## Dynamical behaviors of countercurrent axisymmetric shear flows

## <u>Xi-Lin Xie<sup>1</sup></u>

## W. W. $Mar^2$

## H. L. $Zhou^1$

<sup>1</sup>Fudan University, Dept. Mechanics & Engineering Science <sup>2</sup>Donghua University, College of Basic Science xiexilin@online.sh.cn

The dynamical behaviors of the coherent structures in the countercurrent axisymmetric shear flows have been experimentally studied. Axisymmetric vortices play an important role in the case of the forward velocity  $U_1$  ranging from 3 to 20 m/s. A critical forward velocity  $U_1^{cr} = 6.8 \ m/s$  was defined and subsequently the subcritical regime:  $U_1 > U_1^{cr}$  and the supercritical regime:  $U_1 < U_1^{cr}$ . In the subcritical regime the flow system could happen to shear layer self-excited oscillation in a certain range of the velocity ratio. In the supercritical regime, the spatial evolution of the coherent structures undergoes following stages: K-H instability causing vortices rolling-up  $\rightarrow$  first time vortices conglomeration  $\rightarrow$  jet column self-excited oscillation  $\rightarrow$  shear layer self-excited oscillation  $\rightarrow$  'ordered tearing'  $\rightarrow$  turbulence in the case of  $U_1$  is less than 4 m/s. The 'ordered tearing' does not exist when  $U_1$  is greater than or equal to 4 m/s. Correspondingly, the spatial evolution of the time asymptotic behaviors of the dynamics system could be described as follows: Hopf bifurcation  $\rightarrow$  subharmonic bifurcation  $\rightarrow$  inverse superharmonic bifurcation  $\rightarrow$  superharmonic bifurcation  $\rightarrow$  chaos ('weak turbulence') in the case of  $U_1$  is less than 4 m/s. Superharmonic bifurcation does not exist when  $U_1$  is greater or equal to 4 m/s. The terms: superharmonic and inverse superharmonic bifurcations newly put forward are characteristic of the frequency doubling rather than period doubling.